

# Intrusion Detection Using a New Particle Swarm Method and Support Vector Machines

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**Abstract**—Intrusion detection is a mechanism used to protect a system and analyse and predict the behaviours of system users. An ideal intrusion detection system is hard to achieve due to nonlinearity, and irrelevant or redundant features. This study introduces a new anomaly-based intrusion detection model. The suggested model is based on particle swarm optimisation and nonlinear, multi-class and multi-kernel support vector machines. Particle swarm optimisation is used for feature selection by applying a new formula to update the position and the velocity of a particle; the support vector machine is used as a classifier. The proposed model is tested and compared with the other methods using the KDD CUP 1999 dataset. The results indicate that this new method achieves better accuracy rates than previous methods.

**Keywords**—Feature selection, Intrusion detection, Support vector machine, Particle swarm.

## I. INTRODUCTION

**A**N intrusion is an action that attempts to compromise the availability, confidentiality or integrity of a resource. An attacker can gain illegal access to a system by exploiting bugs in a trusted program, a system configuration error, or by fooling an authorised user into providing information that can be used to control the system. Intrusion detection refers to a broad range of approaches to detect malicious attacks on computers and networks. Intrusion detection systems (IDS) are required as an additional ‘wall’, together with other prevention techniques, to protect systems. Intrusion detection models can be categorised into two main types: misuse-based and anomaly-based [1]. A misuse-based IDS is also known as signature-based or pattern-based, detecting known attacks based on information stored in a database. This type of intrusion detection, although efficient in detecting existing intrusions, is fooled by any small modification to the original model. Anomaly-based models can be used to detect both known and unknown intrusions, detecting deviations from normal connections. The main challenges in current anomaly intrusion detection systems are their low detection rates, which mean that they can potentially miss detecting serious attacks and the high ‘false alarm’ rates, which mean that a normal connection may be falsely classified as an attack. Therefore, many machine-learning methods have been used, such as artificial neural networks, Naïve Bays, random fields and multi-class support vector machines (SVM) [2, 3].

In general, attacks can be divided into four categories [4]:

- **Denial of Service (DoS):** Attacker tries to prevent legitimate users from using a service, computer or resource. Examples

include SYN Flood, Ping of Death, Back, Smurf, Land, Apache2 and Teardrop.

- **Remote to User (R2L):** Attacker tries to gain access to the victim machine. Examples are Sendmail, Dictionary, Named, Guest, Imap, Ftp\_write.
- **User to Root (U2R):** Attacker has local access to the victim machine and tries to gain super user privileges. Examples are Perl, Xterm, Loadmodule, Eject, Fdformat.
- **Probing (Probe):** Attacker tries to gain information about the target host. Examples are Saint, Nmap, Mscan, Satan, Ipsweep.

This study is based on the combination of a new particle swarm optimisation method and nonlinear, multi-class and multi-kernel support vector machines.

## II. PARTICLE SWARM OPTIMIZATION

PSO is a relatively recent heuristic optimisation method; its mechanics are inspired by the natural flocking and swarming behaviour of birds and insects. A set of randomly generated solutions (initial swarm) is used to explore the space, and each particle (a bird, a fish or an insect) makes use of its individual memory, as well as the knowledge gained by the swarm as a whole, to find the best solution (a rich source of food and to avoid predators).

Let the position of the particle  $i$  at the step  $t$  be the vector  $x_i^t$ , its velocity be the vector  $v_i^t$  and the fitness function or the quality function be  $f: X \rightarrow R$ , where  $X \subset R^d$ . The best previous position of the particle  $i$  is denoted by  $p_i$  and the associated fitness value by  $pbest_i = f(p_i)$ . The best position for the swarm is denoted by  $g$  and the associated fitness value is  $gbest_i = f(g)$ . Algorithm 1, below, represents the basic PSO algorithm [5].

### Algorithm 1: Basic PSO

Input: the fitness function,  $f$ ,  $\varphi_1$  and  $\varphi_2$

Output: the best position,  $x$

Step 1: Initialize the particles  $x_i^0$  randomly

Step 2: Find the fitness  $f(x_i^t)$  for each particle using the current position.

Step 3: Compare the fitness of each individual to its best fitness such that:

$$\text{If } f(x_i^t) < pbest_i$$

$$pbest_i = f(x_i^t)$$

$$p_i = x_i^t$$

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Step 4: Compare the fitness of each particle to the global:

$$\begin{aligned} \text{If } f(x_i^t) < gbest_i \\ gbest_i &= f(x_i^t) \\ g &= x_i^t \end{aligned}$$

Step 5: if the condition is satisfied, stop and return  $g$

Step 6: Update the velocity vector for each particle as following:

$$v_i^{t+1} = v_i^t + \varphi_1 \text{rand}() (p_i - x_i^t) + \varphi_2 \text{rand}() (g - x_i^t)$$

Step 7: Update the positions as following:

$$\begin{aligned} x_i^{t+1} &= x_i^t + v_i^{t+1} \\ t &= t + 1 \end{aligned}$$

Step 8: Return to Step 2

$\varphi_1$  and  $\varphi_2$  are two constants, where  $\varphi_1 \in [1.5, 2]$  and  $\varphi_2 \in [2, 2.5]$ , and represent cognitive and social acceleration coefficients, respectively. The random values in the velocity equation can be any value in the range (0, 1).

### III. VARIANTS OF PARTICLE SWARM

Many variations have been developed to improve the quality of the solution or the speed of the convergence of the PSO. Clerc and Kennedy [6] suggested a new velocity equation to control the convergence properties of the particles using a constriction factor:

$$v_i^{t+1} = \chi (v_i^t + \varphi_1 \text{rand}() (p_i - x_i^t) + \varphi_2 \text{rand}() (g - x_i^t)) \quad (1)$$

with

$$\chi = 2k / (|2 - \varphi - \sqrt{\varphi^2 - 4\varphi}|) \quad (2)$$

where  $k \in [0, 1]$ ,  $\varphi = \varphi_1 + \varphi_2$  and  $\varphi > 4$ . Usually,  $\varphi_1 = 2.05$ ,  $\varphi_2 = 2.05$  and  $k = 1$ . This variant is known the canonical POS. Velocity clamping is another equation to control the global exploration of the particle:

$$v_i^{t+1} = \begin{cases} v_i^{t+1} & \text{if } v_i^{t+1} < v_i^{\max} \\ v_i^{\max} & \text{Other} \end{cases} \quad (3)$$

The value of  $v_i^{\max}$  is proportional to the difference between the maximum and the minimum position of the particle  $i$  [7]. Mendes et al. [8] proposed a fully informed particle swarm (FIPS). This method uses information from all the neighbours of particle  $i$ ; thus, the new velocity equation becomes:

$$v_i^{t+1} = \chi \left[ v_i^t + \sum_{k \in N} \varphi_k \text{rand}() (p_k - x_i^t) \right] \quad (4)$$

where  $N$  is the set of the neighbourhoods of the particle  $i$ . The neighbourhoods can take on any topology such as ring, global, star, hybrid, tree network or even a randomly generated topology [9]. PSO can be modified to handle the binary data by using a sigmoid function as in the following formula [10]:

$$v = \text{sign} \left( \frac{1}{1 + e^{-v_j^{t+1}}} \right) \quad (5)$$

$$x_{ij}^{t+1} = \begin{cases} 1 & \text{rand}() < v \\ 0 & \text{Other} \end{cases} \quad (6)$$

### IV. NEW PARTICLE SWARM METHOD

The new velocity and position equations that are introduced in this section can be used for feature selection by combining them with any classification method; alternatively, they can also be used for binary data optimisation. The equations can be described as follows:

$$v_{ij}^{t+1} = \varphi (\mu(v_{ij}^t), \sigma(\pi(p_{ij}, x_{ij}^t)), \sigma(\pi(g, x_{ij}^t))) \quad (7)$$

$$\phi(y_1, y_2, y_3) = \begin{cases} 1 & \text{if } \exists k \dots y_k = 1 \\ 0 & \text{Other} \end{cases} \quad (8)$$

$$\pi(x, y) = \begin{cases} 1 & \text{if } x \neq y \\ 0 & \text{if } x = y \end{cases} \quad (9)$$

$$\sigma(\bar{x}) = \begin{cases} x_j = 0 & \text{if } x_j = 0 \text{ or } \text{rand}() < c \\ 1 & \text{Other} \end{cases} \quad (10)$$

$$x_i^{t+1} = \begin{cases} x_{ij}^t & \text{if } v_{ij}^{t+1} = 0 \\ \text{not}(x_{ij}^t) & \text{Other} \end{cases} \quad (11)$$

The value of  $c$  is in the interval (0, 1). If  $c$  is close to 1, the optimisation process is fast but the result is not accurate. On the other hand, if  $c$  is close to 0, the optimisation process is slow but the result is more accurate. The function  $\mu$  is used to reset some entries in the vector  $v_i^t$  randomly to 0. The suggested procedure can be used for feature selection by combining it with any suitable classifier. Let the particle  $i$  be represented as  $p_i = (b_1, b_2, \dots, b_n)$ , where  $n$  is the number of the features,  $b_j$  is 0 if the feature  $j$  is not selected and 1 if the feature  $j$  is selected. Let  $\eta$  be an accuracy function  $\eta: f \rightarrow r$ , where  $f$  represents the selected features and  $r$  is the classification accuracy, and let  $\lambda$  be the feature function  $\lambda: p_i \rightarrow f$ . Thus, the quality function can be represented as follows:

$$\text{The quality} = \eta(\lambda(p_i)) \quad (12)$$

SVM is a classification method which tries to find the optimal hyper-planes between different classes. The decision function is:

$$F(x) = \sum_{i=1}^N \alpha_i y_i K(x_i, x) + b \quad (13)$$

where  $K$  is a suitable kernel function. In this research, the used kernel is a combination of a polynomial and radial basis function:

$$K(x, y) = \exp(-\alpha \|x_1 - y_1\|^2) + (x_2 \cdot y_2 + 1)^\beta \quad (14)$$

where  $\alpha \in \{0.07, 0.7, 0.4, 0.7, 5, 10, 100\}$ ,  $\beta \in \{2, 3, 4, 5, 6, 7, 8\}$ ,  $x = [x_1 \ x_2]$  and  $y = [y_1 \ y_2]$ .  $x$  and  $y$  are the features extracted by  $\lambda(p_i)$ . Thus, each particle consists of two parts: the first part is the set of features that will be used with the radial basis kernel, and the second part will be used with the polynomial kernel.

#### V. INTRUSION DETECTION DATASET

In this study, we will use the KDD CUP 1999 intrusion detection contest data [15]. This data was prepared by the 1998 DARPA Intrusion Detection Evaluation program by MIT Lincoln Labs [MIT]. The program acquired 9 weeks' of raw transmission control protocol (TCP) dump data. The raw data was processed into approximately 5 million connection records. The data set contains 24 attack types. All of these attacks fall into 4 main categories as described in the Introduction of this paper. Table I summarizes the recorded attacks.

Every record in the dataset has 41 features that are shown in Table II. Features 2, 3 and 4 are converted into numbers; for example, the second feature 'Protocol Type' is replaced by 1, 2 or 3 instead of the values TCP, UDP (user datagram protocol) or ICMP (internet control message protocol), respectively.

#### VI. EXPERIMENTAL RESULTS

The performance of the intrusion detection system is calculated using a detection rate and a false alarm rate as follows:

$$\text{Detection Rate} = \frac{TP}{TP + FN} \quad (15)$$

$$\text{False Alarm Rate} = \frac{FP}{TN + FP} \quad (16)$$

TABLE I  
KDD DATASET CATEGORIES

Attack	Category	# Samples	
normal	Normal	97277	
smurf	Dos	280790	
neptune		107201	
back		2203	
teardrop		979	
pod		264	
land		21	
satan	Probe	1589	
ipsweep		1247	
portsweep		1040	
nmap		231	
warezclient	R2L	1020	
guess_passwd		53	
warezmaster		20	
imap		12	
ftp_write		8	
multihop		7	
phf		4	
spy		2	
buffer_overflow		U2R	30
rootkit			10
loadmodule	9		
perl	3		

TABLE II  
KDD CUP'99 FEATURES

No.	Features	No.	Features
1	duration	22	is_guest_login
2	protocol type	23	count
3	service	24	srv_count
4	flag	25	serror_rate
5	src_bytes	26	srv_error_rate
6	dst_bytes	27	rerror_rate
7	land	28	srv_rerror_rate
8	wrong_fragt.	29	same_srv_rate
9	urgent	30	diff_srv_rate
10	hot	31	srv_diff_h_rate
11	num_fail_login	32	host_count
12	logged_in	33	host_srv_count
13	nu_comprom	34	h_same_sr_rate
14	root_shell	35	h_diff_srv_rate
15	su_attempted	36	h_src_port_rate
16	num_root	37	h_srv_d_h_rate
17	nu_file_creat	38	h_serror_rate
18	nu_shells	39	h_sr_serro_rate
19	nu_access_files	40	h_rerror_rate
20	nu_out_cmd	41	h_sr_rerro_rate
21	is_host_login		

where FN is the number of false negatives, FP is the number of false positives, TN is the number of true negatives and TP is the number of true positives. Particle swarm and multi-class SVM are applied on 70% of the KDD dataset; the remaining 30% of the dataset is used for testing. The experiment is repeated several times to find the detection rate or false alarm rate for one class of the KDD dataset (R), as follows:

$$R = \alpha s \times \beta s \times \text{Classes} \quad (17)$$

In this study, the length of set  $\alpha s$  is 7 and of set  $\beta s$  is 7. The number of classes is 5, and these are: Normal, DoS, Probe, R2L and U2R. Thus, the experiment is repeated 245

times for each class and  $245 \times 10 = 2450$  times for all classes and both performance measurements. Moreover, 10 particles with 10 epochs are applied, therefore, the total number of executed experiments is  $2450 \times 10 \times 10 = 245000$ ; for training purposes, however, individual records can be tested very quickly. Tables III and IV compare the method proposed by this study with previous methods using the detection rate and false alarm rate, respectively.

TABLE III  
THE DETECTION RATE OF KDD DATASET

	Dos	Probe	U2R	R2L	Normal
<b>Proposed</b>	<b>97.9</b>	<b>98.6</b>	68.9	19.5	<b>99.8</b>
<b>KDD Winner [11]</b>	97.1	83.3	13.2	8.4	99.5
<b>Multi-SVM [12]</b>	96.8	75	5.3	4.2	99.6
<b>PNrule [13]</b>	96.9	73.2	6.6	10.7	99.5
<b>Random Field [14]</b>	97.4	<b>98.6</b>	<b>86.3</b>	<b>29.6</b>	--

TABLE IV  
THE FALSE ALARM RATE OF KDD DATASET

	Dos	Probe	U2R	R2L	Normal
<b>Proposed</b>	0.07	3.1	<b>0.05</b>	<b>0.35</b>	<b>15.5</b>
<b>KDD Winner[11]</b>	0.1	35.2	28.6	1.2	27.0
<b>Multi- SVM[12]</b>	0.1	11.7	47.8	35.4	27.8
<b>PNrule[13]</b>	<b>0.05</b>	7.5	89.5	12.0	27.0
<b>Random Field [14]</b>	0.07	<b>0.91</b>	<b>0.05</b>	<b>0.35</b>	--

## VII. CONCLUSION

Intrusion detection systems are used to improve enterprise network security, acting as a 'second line of defence'. The perfect intrusion detection system would have a 100% detection rate together with a 0% false positive rate which is very difficult to achieve. This study investigates and evaluates the performance of new techniques for intrusion detection using the KDD CUP 1999 dataset. The suggested techniques are based on particle swarm optimisation, and nonlinear, multi-class and multi-kernel support vector machines. The results show that our model outperforms other state-of-the-art methods. Further work needs to be done to apply the suggested techniques to real-world commercial intrusion detection systems and to enhance the computation speed, detection and false alarm rates.

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